

Gurukul Academy**Weekly Test**

Std: SSC

Subject: Geometry

Time: 2Hrs

Date : 12/May/2019

ch-1

Max Marks: 40

Q.1 Solve the following questions (9th std) (ANY FOUR)

4

- 1) Fill in the blanks: $\tan 30^\circ \times \tan \text{_____}^\circ = 1$
- 2) Fill in the blanks: $\sin 20^\circ = \cos \text{_____}^\circ$
- 3) Find the values of: $2 \sin 30^\circ + \cos 0^\circ + 3 \sin 90^\circ$
- 4) Write the answers to the following question with reference to figure below:



Write the intersection set of ray SP and ray ST.

- 5) Write the following statements in 'if-then' form: The opposite angles of a parallelogram are congruent.
- 6) Write the answers to the following question with reference to figure below:



Write any two rays with common end point S.

Q.2 Solve the following questions (9th std) (ANY TWO)

4

- 1) Diagonals of a parallelogram bisect each other.
- 2) U, V and A are three cities on a straight road. The distance between U and A is 215 km, between V and A is 140 km and between U and A is 75 km. Which of them is between the other two ?
- 3) $\square PQRS$ is a parallelogram. $PQ = 3.5$, $PS = 5.3$ $\angle Q = 50^\circ$ then find the lengths of remaining sides and measures of remaining angles.

Q.3 Choose the correct alternative:

5

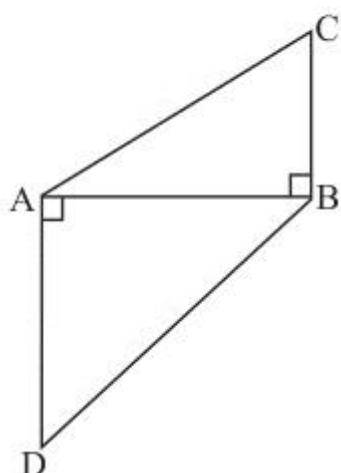
- 1) Sides of two similar triangles are in the ratio of 4 : 9. Areas of these triangles are in the ratio:
(a) 2 : 3 (b) 4 : 9 (c) 81 : 16 (d) 16 : 81
- 2) $\triangle ABC$ and $\triangle BDE$ are two equilateral triangles such that D is the mid-point of BC. The ratio of the areas of triangles ABC and BDE is :
(a) 2 : 1 (b) 1 : 2 (c) 4 : 1 (d) 1 : 4
- 3) $\triangle ABC$ is such that $AB = 3$ cm, $BC = 2$ cm and $CA = 2.5$ cm. If $\triangle DEF \sim \triangle ABC$ and $EF = 4$ cm, then perimeter of $\triangle DEF$ is
(a) 7.5 cm (b) 15 cm (c) 22.5 cm (d) 30 cm
- 4) Two poles of height 6 m and 11 m stand vertically upright on a plane ground. If the distance between their foot is 12 m, the distance between their tops is
(a) 12 m (b) 14 m (c) 13 m (d) 11 m
- 5) In a $\triangle ABC$, AD is the bisector of $\angle BAC$. If $AB = 6$ cm, $AC = 5$ cm and $BD = 3$ cm, then $DC =$
(a) 11.3 cm
(b) 2.5 cm
(c) 3.5 cm
(d) None of these

Q.4 Solve the following questions (ANY TWO)

4

- 1) Base of a triangle is 9 and height is 5. Base of another triangle is 10 and height is 6. Find the ratio of areas of these triangles.
- 2) In figure given below $BC \perp AB$, $AD \perp AB$, $B = 4$, $AD = 8$, then find

$$\frac{A(\Delta ABC)}{A(\Delta ADB)}$$

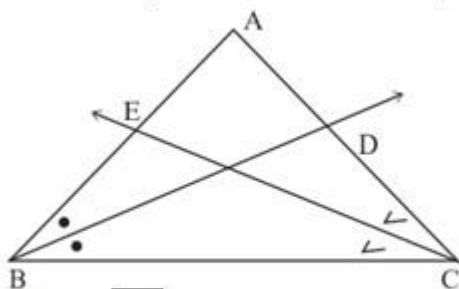


3) If a line divides any two sides of a triangle in the same ratio, then the line is parallel to the third side.

Q.5 Complete the following Activities (ANY FOUR)

1) In ΔABC , ray BD bisects $\angle ABC$ and ray CE bisects $\angle ACB$. If $\text{seg } AB \cong \text{seg } AC$ then prove that $ED \parallel BC$.

In ΔABC , ray BD bisects \angle [Given]



$$\therefore \frac{AB}{BC} = \frac{\text{input}}{DC}$$

..... 1 [Angle bisector property of a triangle]

In ΔABC , ray CE bisects $\angle ACB$ [Given]

$$\therefore \frac{AC}{BC} = \frac{AE}{BE}$$

..... 2 [Angle bisector property of a triangle]

$\text{seg } AB \cong \text{seg}$ 3 [Given]

$$\therefore \frac{AB}{BC} = \frac{AE}{\text{input}} \quad \text{..... 4 [From 2 \& 3]}$$

$$\text{In } \Delta ABC, \frac{AD}{DC} = \frac{\text{input}}{BE} \quad \text{[From 1 \& 4]}$$

$\therefore \text{seg}$ \parallel side BC [Converse of B.P.T.]

2) The ratio of corresponding sides of similar triangles is 3 : 5; then find the ratio of their areas.

Let Δ_1 and Δ_2 be two similar triangles with their corresponding sides s_1 and s_2 respectively.

$$\frac{s_1}{s_2} = \boxed{} \quad [\text{Given}] \quad \dots 1$$

$$\Delta_1 \sim \Delta_2 \quad [\text{Given}]$$

$$\frac{\boxed{}}{A(\Delta_2)} = \frac{s_1^2}{\boxed{}}$$

[Theorem on areas of similar triangles]

$$\frac{A(\Delta_1)}{A(\Delta_2)} = \boxed{} \quad [\text{From 1}]$$

$$\therefore A(\Delta_1) A(\Delta_2) = \boxed{}$$

3) $\Delta LMN \sim \Delta PQR$, $9 \times A(\Delta PQR) = 16 \times A(\Delta LMN)$. If $QR = 20$ then find MN .

$$9 \times A(\Delta PQR) = \boxed{} \times A(\Delta LMN) \quad \dots (\text{Given})$$

$$\therefore \frac{9}{16} = \frac{A(\Delta LMN)}{A(\Delta \boxed{})}$$

$$\text{i.e. } \frac{A(\Delta LMN)}{A(\Delta PQR)} = \frac{\boxed{}}{16} \quad \dots (i)$$

In ΔLMN and ΔPQR , $\dots (\text{Given})$

$$\frac{A(\Delta LMN)}{A(\Delta PQR)} = \frac{MN^2}{QR^2} \quad \dots (\text{Theorem on areas of similar triangles})$$

areas of similar triangles)

$$\therefore \boxed{} = \frac{MN^2}{20^2}$$

$$\therefore \boxed{} = \frac{MN}{20} \quad \dots (\text{Taking square roots})$$

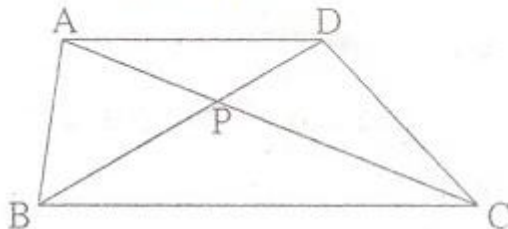
$$\therefore MN = \frac{3 \times \boxed{}}{4}$$

$$\therefore MN = \boxed{}$$

$$\therefore MN = \boxed{} \text{ units}$$

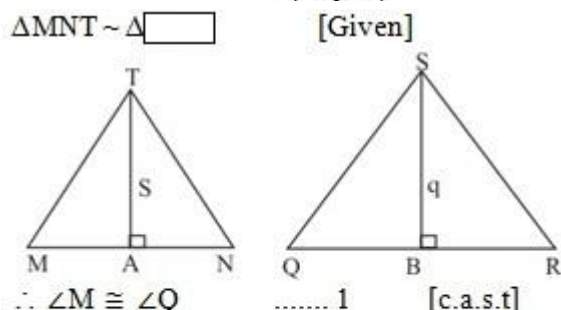
4) In $\square ABCD$, $\text{seg } AD \parallel \text{seg } BC$. Diagonal AC and diagonal BD intersect each other in point P . Then

show that $\frac{AP}{PD} = \frac{PC}{BP}$



$\text{seg AD} \parallel \text{seg } \square$ [Given]
 $\therefore \angle \square \cong \angle PCB$
1 [Alternate angles theorem]
 In $\triangle APD$ & $\triangle CPB$
 (i) $\angle PAD \cong \angle \square$ [From 1]
 (ii) $\angle APD \cong \angle CPB$
 [\square]
 $\therefore \triangle APD \sim \triangle CPB$ [AA test]
 $\therefore \frac{AP}{CP} = \frac{\square}{PB}$
 $\therefore \frac{AP}{PD} = \frac{\square}{PB}$ [Alternando]
 i.e. $\frac{AP}{PD} = \square$

5) $\triangle MNT \sim \triangle QRS$. Length of altitude drawn from point T is 5 and length of altitude drawn from point S is 9. Find the ratio $\frac{A(\triangle MNT)}{A(\triangle QRS)}$.

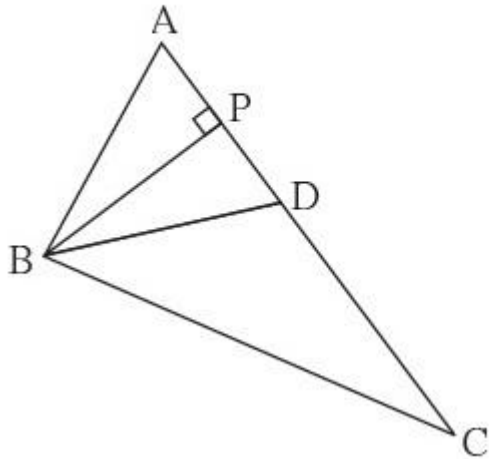


$\therefore \angle M \cong \angle Q$ 1 [c.a.s.t]
 In $\triangle MAT$ & $\triangle QBS$
 $\angle M \cong \square$ [From 1]
 $\angle MAT \cong \angle \square$ [Each 90°]
 $\therefore \triangle MAT \sim \triangle QBS$
 $\therefore \frac{TM}{SQ} = \square$ 2 [c.s.s.t]
 $\therefore \frac{A(\triangle TMN)}{A(\triangle SQR)} = \frac{\square}{SQ^2}$
 [Theorem on areas of similar triangles]
 $\therefore \frac{A(\triangle TMN)}{A(\triangle SQR)} = \frac{TA^2}{\square}$ [From 2]
 $\therefore \frac{A(\triangle TMN)}{A(\triangle SQR)} = \frac{5^2}{\square}$
 $\frac{A(\triangle TMN)}{A(\triangle SQR)} = \frac{25}{\square}$

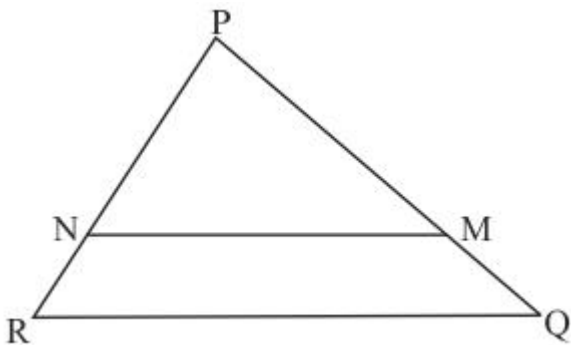
Q.6 Solve the following questions

- 1) In $\triangle ABC$ point D on side BC is such that $DC = 6$, $BC = 15$. Find $A(\triangle ABD) : A(\triangle ABC)$ and $A(\triangle ABD) : A(\triangle ADC)$.
- 2) In below figure in $\triangle ABC$, point D is on side AC . If $AC = 16$, $DC = 9$ and $BP \perp AC$, then find the following ratios.

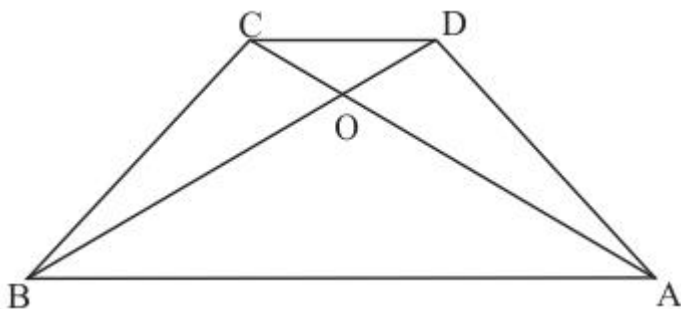
(i) $\frac{A(\Delta ABD)}{A(\Delta ABC)}$ (ii) $\frac{A(\Delta BDC)}{A(\Delta ABC)}$ (iii) $\frac{A(\Delta ABD)}{A(\Delta BDC)}$



- 3) If a line parallel to a side of a triangle intersects the remaining sides in two distinct points, then the line divides the sides in the same proportion.
 4) In ΔPQR , $PM = 15$, $PQ = 25$, $PR = 20$, $NR = 8$. State whether line NM is parallel to side RQ . Give reason.



- 5) In trapezium $ABCD$, side $AB \parallel$ side DC , diagonals AC and BD intersect in point O . If $AB = 20$, $DC = 6$, $OB = 15$ then find OD .



----- All the Best -----